



Application Note 27

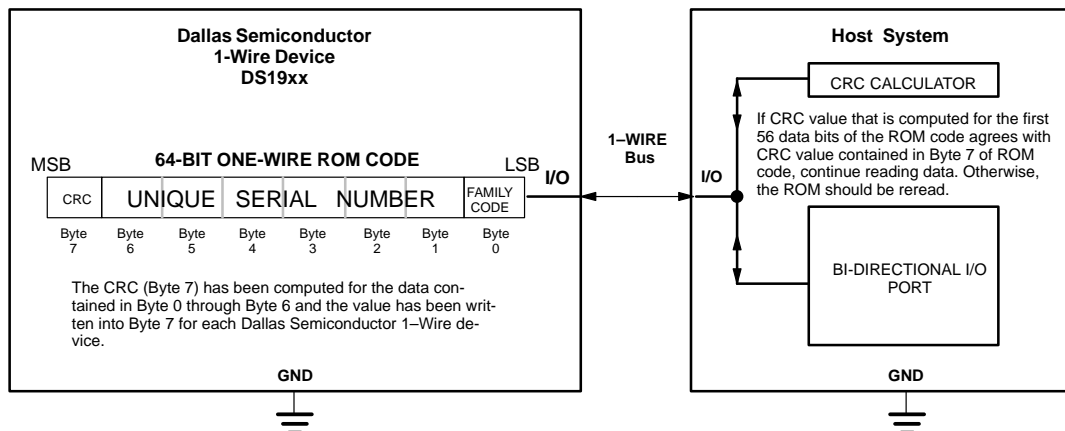
Understanding and Using Cyclic Redundancy Checks with Dallas Semiconductor iButton™ Products

INTRODUCTION

The Dallas Semiconductor iButton products are a family of devices that all communicate over a single wire following a specific command sequence referred to as the 1-Wire™ Protocol. A key feature of each device is a unique 8-byte ROM code written into each part at the time of manufacture. The components of this 8-byte code can be seen in Figure 1. The least significant byte contains a family code that identifies the type of iButton product. For example, the DS1990A has a family code of 01 Hex and the DS1991 has a family code of 02 Hex. Since multiple devices of the same or different family types can reside on the same 1-Wire bus simultaneously, it is important for the host to be able to determine how to properly access each of the devices that it locates on the 1-Wire bus. The family code provides this information. The next six bytes contain a unique serial number that allows multiple devices within the same family code to be distinguished from each other. This unique serial number can be thought of as an "address" for each device on the 1-Wire bus. The entire collection of devices plus the host form a type of miniature local area network, or Micro-LAN; they all communicate over the single common wire. The most significant byte in the ROM code of each device contains a Cyclic Redundancy Check (CRC) value based on the previous seven bytes of data for that part. When the host system begins communication with a device, the 8-byte ROM is read,

LSB first. If the CRC that is calculated by the host agrees with the CRC contained in byte 7 of ROM data, the communication can be considered valid. If this is not the case, an error has occurred and the ROM code should be read again.

Some of the iButton products have up to 8K bytes of RAM in addition to the eight bytes of ROM that can be accessed by the host system with appropriate commands. Even if iButtons do not have CRC hardware on-board, if the host has the capability to calculate a CRC value for the ROM codes, then a procedure to store and retrieve data in the RAM portion of the devices using CRCs can also be developed. Data can be written to the device in the normal manner; then a CRC value that has been calculated by the host is appended and stored with the data. When this data is retrieved from the iButton, the process is reversed. The host compares the CRC value that was computed for the data bytes to the value stored in memory as the CRC for that data. If the values are equal, the data read from the iButton can be considered valid. In order to take advantage of the power of CRCs to validate the serial communication on the 1-Wire bus, an understanding of what a CRC is and how they work is necessary. In addition, a practical method for calculation of the CRC values by the host will be required for either a hardware or software implementation.

Button SYSTEM CONFIGURATION USING DOW CRC Figure 1**BACKGROUND**

Serial data can be checked for errors in a variety of ways. One common way is to include an additional bit in each packet being checked that will indicate if an error has occurred. For packets of 8-bit ASCII characters, for example, an extra bit is appended to each ASCII character that indicates if the character contains errors. Suppose the data consisted of a bit string of 11010001. A ninth bit would be appended so that the total number of bits that are 1's is always an odd number. Thus, a 1 would be appended and the data packet would become 11010001. The underlined character indicates the parity bit value required to make the complete 9-bit packet have an odd number of bits. If the received data was 11101000 1, then it would be assumed that the information was correct. If, however, the data received was 111010101, where the 7th bit from the left has been incorrectly received, the total number of 1's is no longer odd and an error condition has been detected and appropriate action would be taken. This type of scheme is called odd parity. Similarly, the total number of 1's could also be chosen to always be equal to an even number, thus the term even parity. This scheme is limited to detecting an odd number of bit errors, however. In the example above, if the data was corrupted and became 111011101 where both the 6th and 7th bits from the left were wrong, the parity check appears correct; yet the error would go undetected whether even or odd parity was used.

DESCRIPTION**Dallas Semiconductor 1-Wire CRC**

The error detection scheme most effective at locating errors in a serial data stream with a minimal amount of hardware is the Cyclic Redundancy Check (CRC). The operation and properties of the CRC function used in Dallas Semiconductor products will be presented without going into the mathematical details of proving the statements and descriptions. The mathematical concepts behind the properties of the CRC are described in detail in the references. The CRC can be most easily understood by considering the function as it would actually be built in hardware, usually represented as a shift register arrangement with feedback as shown in Figure 2. Alternatively, the CRC is sometimes referred to as a polynomial expression in a dummy variable X, with binary coefficients for each of the terms. The coefficients correspond directly to the feedback paths shown in the shift register implementation. The number of stages in the shift register for the hardware description, or the highest order coefficient present in the polynomial expression, indicate the magnitude of the CRC value that will be computed. CRC codes that are commonly used in digital data communications include the CRC-16 and the CRC-CCITT, each of which computes a 16-bit CRC value. The Dallas Semiconductor 1-Wire CRC (DOW CRC) magnitude is eight bits, which is used for checking the 64-bit ROM code written into each

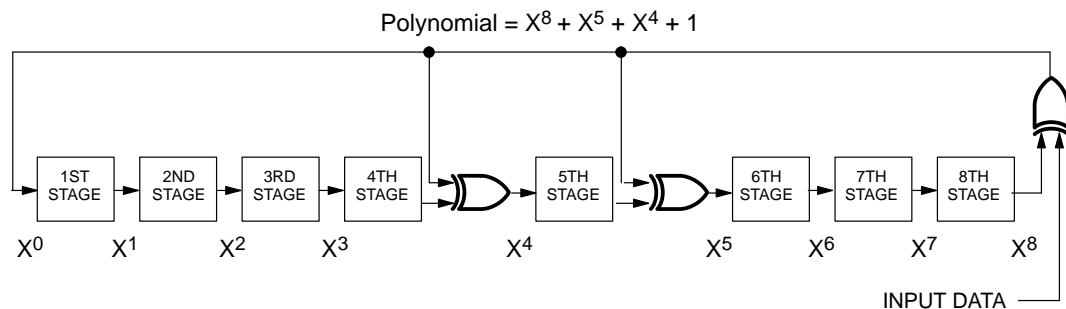
1–Wire product. This ROM code consists of an 8-bit family code written into the least significant byte, a unique 48-bit serial number written into the next six bytes, and a CRC value that is computed based on the preceding 56 bits of ROM and then written into the most significant byte. The location of the feedback paths represented by the exclusive-or gates in Figure 2, or the presence of coefficients in the polynomial expression, determine the properties of the CRC and the ability of the algorithm to locate certain types of errors in the data. For the DOW CRC, the types of errors that are detectable are:

1. Any odd number of errors anywhere within the 64-bit number.
2. All double-bit errors anywhere within the 64-bit number.
3. Any cluster of errors that can be contained within an 8-bit “window” (1–8 bits incorrect).
4. Most larger clusters of errors.

The input data is Exclusive-Or'd with the output of the eighth stage of the shift register in Figure 2. The shift register may be considered mathematically as a dividing circuit. The input data is the dividend, and the shift register with feedback acts as a divisor. The resulting quotient is discarded, and the remainder is the CRC value for that particular stream of input data, which resides in the shift register after the last data bit has been shifted in. From the shift register implementation it is obvious that the final result (CRC value) is dependent, in a very complex way, on the past history of the bits presented. Therefore, it would take an extremely rare combination of errors to escape detection by this method.

The example in Figure 3 calculates the CRC value after each data bit is presented. The shift register circuit is always reset to 0's at the start of the calculation. The computation begins with the LSB of the 64-bit ROM, which is the 02 Hex family code in this example. After all 56 data bits (serial number + family code) are input, the value that is contained in the shift register is A2 Hex, which is the DOW CRC value for that input stream. If the CRC value which has been calculated (A2 Hex in this example), is now used as input to the shift register for the next eight bits of data, the final result in the shift register after the entire 64 bits of data have been entered should be all 0's. This property is always true for the DOW CRC algorithm. If any 8-bit value that appears in the shift register is also used as the next eight bits in the input stream, then the result that appears in the shift register after the 8th data bit has been shifted in is always 00 Hex. This can be explained by observing that the contents of the 8th stage of the shift register is always equal to the incoming data bit, making the output of the EXOR gate controlling the feedback and the next state value of the first stage of the shift register always equal to a logic 0. This causes the shift register to simply shift in 0's from left to right as each data bit is presented, until the entire register is filled with 0's after the 8th bit. The structure of the Dallas Semiconductor 1–Wire 64-bit ROM uses this property to simplify the hardware design of a device used to read the ROM. The shift register in the host is cleared and then the 64 ROM bits are read, including the CRC value. If a correct read has occurred, the shift register is again all 0's which is an easy condition to detect. If a non-zero value remains in the shift register, the read operation must be repeated.

DALLAS 1–WIRE 8–BIT CRC Figure 2



Until now, the discussion has centered around a hardware representation of the CRC process, but clearly a software solution that parallels the hardware methodology is another means of computing the DOW CRC values. An example of how to code the procedure is given in Table 1. Notice that the XRL (exclusive or) of the A register with the constant 18 Hex is due to the presence of the EXOR feedback gates in the DOW CRC after the fourth and fifth stages as shown in Figure 2. An alternative software solution is to simply build a lookup table that is accessed directly for any 8-bit value currently stored in the CRC register and any 8-bit pattern of new data. For the simple case where the current value of the CRC register is 00 Hex, the 256 different bit combinations for the input byte can be evaluated and stored in a matrix, where the index to the matrix is equal to the value of the input byte (i.e., the index will be $I = 0-255$). It can be shown that if the current value of the CRC register is not 00 Hex, then for any current CRC value and any input byte, the lookup table values would be the same as for the simplified case, but the computation of the index into the table would take the form of:

New CRC = Table [I] for $I=0$ to 255 ;
 where $I = (\text{Current CRC}) \text{ EXOR } (\text{Input byte})$

For the case where the current CRC register value is 00 Hex, the equation reduces to the simple case. This second approach can reduce computation time since the operation can be done on a byte basis, rather than the bit-oriented commands of the previous example. There is a memory capacity tradeoff, however, since the lookup table must be stored and will consume 256 bytes compared to virtually no storage for the first example except for the program code. An example of this type of code is shown in Table 2. Figure 4 shows the previous example repeated using the lookup table approach. Two properties of the DOW CRC can be helpful in debugging code used to calculate the CRC values. The first property has already been mentioned for the hardware implementation. If the current value of the CRC register is used as the next byte of data, the resulting CRC value will always be 00 Hex (see explanation above). A second property that can be used to confirm proper operation of the code is to enter the 1's complement of the current value of the CRC register. For the DOW CRC algorithm, the resulting CRC value will always be 35 Hex, or 53 Decimal. The reason for this can be explained by observing the operation of the CRC register as the 1's complement data is entered, as shown in Figure 5.

ASSEMBLY LANGUAGE PROCEDURE Table 1

DO_CRC:	PUSH	ACC	;save accumulator
	PUSH	B	;save the B register
	PUSH	ACC	;save bits to be shifted
	MOV	B,#8	;set shift = 8 bits ;
CRC_LOOP:	XRL	A,CRC	;calculate CRC
	RRC	A	;move it to the carry
	MOV	A,CRC	;get the last CRC value
	JNC	ZERO	;skip if data = 0
	XRL	A,#18H	;update the CRC value
			;
ZERO:	RRC	A	;position the new CRC
	MOV	CRC,A	;store the new CRC
	POP	ACC	;get the remaining bits
	RR	A	;position the next bit
	PUSH	ACC	;save the remaining bits
	DJNZ	B,CRC_LOOP	;repeat for eight bits
	POP	ACC	;clean up the stack
	POP	B	;restore the B register
	POP	ACC	;restore the accumulator
	RET		

EXAMPLE CALCULATION FOR DOW CRC Figure 3

Complete 64–Bit 1–Wire ROM Code: A2 00 00 00 01 B8 1C 02

Family Code:	0	2	Hex												
	0000	0010	Binary												
Serial Number:	0	0	0	0	0	0	0	0	1	B	8	1	C	Hex	
	0000	0000	0000	0000	0000	0000	0000	0001	1011	1000	0001	1100	1100	Binary	

CRC VALUE	INPUT VALUE
00000000	0
00000000	1
10001100	0 2
01000110	0
00100011	0
10011101	0
11000010	0 0
01100001	0
10111100	0
01011110	0
00101111	1 C
00010111	1
00001011	1
00000101	0
10001110	0 1
01000111	0
10101111	0
11011011	0
11100001	0 8
11111100	1
11110010	1
11110101	1
01111010	0 B
00111101	1
00011110	1
10000011	0
11001101	0 1
11101010	0
01110101	0
10110110	0
01011011	0 0
10100001	0
11011100	0
01101110	0
00110111	0 0
10010111	0
11000111	0
11101111	0
11111011	0 0
11110001	0
11110100	0
01111010	0
00111101	0 0
10010010	0
01001001	0
10101000	0
01010100	0 0
00101010	0
00010101	0
10000110	0
01000111	0 0
10101101	0
11011010	0
01101101	0
10111010	0 0
01011101	0

10100010 = A2 Hex = CRC Value for [00000001B81C (Serial Number) + 02 (Family Code)]

CRC VALUE	INPUT VALUE
10100010	0
01010001	1
00101000	0 2
00010100	0 _____
00001010	0 _____
00000101	1 _____
00000010	0 A
00000001	1 _____

00000000 = 00 Hex = CRC Value for A2 [(CRC) + 00000001B81C (Serial Number) + 02 (Family Code)]

DOW CRC LOOKUP FUNCTION Table 2

```
Var
  CRC : Byte;

Procedure Do_CRC(X: Byte);
{
  This procedure calculates the cumulative Dallas Semiconductor 1-Wire CRC of all bytes passed to it. The result
  accumulates in the global variable CRC.
}

Const
  Table : Array[0..255] of Byte = (
    0, 94, 188, 226, 97, 63, 221, 131, 194, 156, 126, 32, 163, 253, 31, 65,
    157, 195, 33, 127, 252, 162, 64, 30, 95, 1, 227, 189, 62, 96, 130, 220,
    35, 125, 159, 193, 66, 28, 254, 160, 225, 191, 93, 3, 128, 222, 60, 98,
    190, 224, 2, 92, 223, 129, 99, 61, 124, 34, 192, 158, 29, 67, 161, 255,
    70, 24, 250, 164, 39, 121, 155, 197, 132, 218, 56, 102, 229, 187, 89, 7,
    219, 133, 103, 57, 186, 228, 6, 88, 25, 71, 165, 251, 120, 38, 196, 154,
    101, 59, 217, 135, 4, 90, 184, 230, 167, 249, 27, 69, 198, 152, 122, 36,
    248, 166, 68, 26, 153, 199, 37, 123, 58, 100, 134, 216, 91, 5, 231, 185,
    140, 210, 48, 110, 237, 179, 81, 15, 78, 16, 242, 172, 47, 113, 147, 205,
    17, 79, 173, 243, 112, 46, 204, 146, 211, 141, 111, 49, 178, 236, 14, 80,
    175, 241, 19, 77, 206, 144, 114, 44, 109, 51, 209, 143, 12, 82, 176, 238,
    50, 108, 142, 208, 83, 13, 239, 177, 240, 174, 76, 18, 145, 207, 45, 115,
    202, 148, 118, 40, 171, 245, 23, 73, 8, 86, 180, 234, 105, 55, 213, 139,
    87, 9, 235, 181, 54, 104, 138, 212, 149, 203, 41, 119, 244, 170, 72, 22,
    233, 183, 85, 11, 136, 214, 52, 106, 43, 117, 151, 201, 74, 20, 246, 168,
    116, 42, 200, 150, 21, 75, 169, 247, 182, 232, 10, 84, 215, 137, 107, 53);

Begin
  CRC := Table[CRC xor X];
End;
```

TABLE LOOKUP METHOD FOR COMPUTING DOW CRC Figure 4

Current CRC Value (= Current Table Index)	Input Data	New Index (= Current CRC xor Input Data)	Table (New Index) (= New CRC Value)
0000 0000 = 00 Hex	0000 0010 = 02 Hex	(00 H xor 02 H) = 02 Hex = 2 Dec	Table[2]= 1011 1100 = BC Hex = 188 Dec
1011 1100 = BC Hex	0001 1100 = 1C Hex	(BC H xor 1C H) = A0 Hex = 160 Dec	Table[160]= 1010 1111 = AF Hex = 175 Dec
1010 1111 = AF Hex	1011 1000 = B8 Hex	(AF H xor B8 H) = 17 Hex = 23 Dec	Table[23]= 0001 1110 = 1E Hex = 30 Dec
0001 1110 = 1E Hex	0000 0001 = 01 Hex	(1E H xor 01 H) = 1 F Hex = 31 Dec	Table[31]= 1101 110 = DC Hex = 220 Dec
1101 1100 = DC Hex	0000 0000 = 00 Hex	(DC H xor 00 H) = DC Hex = 220 Dec	Table[220]= 1111 0100 = F4 Hex = 244 Dec
11110100 = F4 Hex	0000 0000 = 00 Hex	(F4 H xor 00 H) = F4 Hex = 244 Dec	Table [244]= 0001 0101 = 15 Hex = 21 Dec
0001 0101 = 15 Hex	0000 0000 = 00 Hex	(15 H xor 00 H) = 15 Hex = 21 Dec	Table[21]= 1010 0010 = A2 Hex = 162 Dec
1010 0010 = A2 Hex	10100010 = A2 Hex	(A2 H xor A2 H) = Hex = 0 Dec	Table[0]=0000 0000 = 00 Hex = 0 Dec

CRC REGISTER COMBINED WITH 1’S COMPLEMENT OF CRC REGISTER Figure 5

CRC Register Value								Input
X ₀	X ₁	X ₂	X ₃	X ₄	X ₅	X ₆	X ₇	X ₇ *
1	X ₀	X ₁	X ₂	X ₃ *	X ₄ *	X ₅	X ₆	X ₆ *
1	1	X ₀	X ₁	X ₂ *	X ₃	X ₄ *	X ₅	X ₅ *
1	1	1	X ₀	X ₁ *	X ₂ *	X ₃	X ₄ *	X ₄ *
0	1	1	1	X ₀	X ₁ *	X ₂	X ₃	X ₃ *
1	0	1	1	0	X ₀ *	X ₁ *	X ₂	X ₂ *
1	1	0	1	0	1	X ₀ *	X ₁ *	X ₁ *
0	1	1	0	1	0	1	X ₀ *	X ₀ *
0	0	1	1	0	1	0	1	Final CRC Value = 35 Hex, 53 Decimal

Note: X_i* = Complement of X_i

CRC-16 COMPUTATION FOR RAM RECORDS IN iButtons

As mentioned in the introduction, some iButton devices have RAM in addition to the unique 8–byte ROM code found in all iButtons. Because the amount of data stored in RAM can be large compared to the 8–byte ROM code, Dallas Semiconductor recommends using a 16–bit CRC value to ensure the integrity of the data, rather than the 8–bit DOW CRC used for the ROM. The particular CRC suggested is commonly referred to as CRC–16. The shift register and polynomial representations are given in Figure 6. The figure shows that for a 16–bit CRC, the shift register will contain 16 stages and

the polynomial expression will have a term of the sixteenth order. As stated previously, the iButton devices do not calculate the CRC values. The host must generate the value and then append the 16-bit CRC value to the end of the actual data. Due to the uncertainty of the iButton’s “communication channel,” i.e., the two metal contact surfaces, data transfers can experience errors that generally fall into three categories. First, brief intermittent connections can cause small numbers of bit errors to occur in the data, which the normal CRC–16 function is designed to detect. The second type of error occurs when contact is lost altogether, for example when the iButton is removed from the reader too quickly.

The hardware implementation of the CRC–16 function is straightforward from the description given in Figure 6. Table 3 shows a software solution that is analogous to the hardware operations which compute the CRC–16 values using single-bit operations. As before, a less computation-intensive software solution can be developed through the use of a lookup table. The basic concepts presented for the 8 bit DOW CRC lookup table also work for the CRC–16 case. A slight modification in procedure from the 8-bit case is required, however, because if the entire 16-bit result for the CRC–16 function were mapped into one table as before, the table would have 2^{16} or 65536 entries. A different approach is shown in Table 4, where the 16-bit CRC values are computed and stored in two 256-entry tables, one containing the high order byte and the other the low order byte of the resultant CRC. For any current 16-bit CRC value, expressed as Current_CRC16_Hi for the current high order byte and Current_CRC16_Lo for the current

low order byte, and any new input byte, the equation to determine the index into the high order byte table for locating the new high order byte CRC value (New_CRC16_Hi) is given as:

$$\text{New_CRC16_Hi} = \text{CRC16_Tabhi}[I] \text{ for } I=0 \text{ to } 255;$$

where $I = (\text{Current_CRC16_Lo}) \text{ EXOR } (\text{Input byte})$

The equation to determine the index into the low order byte table for locating the new low order byte CRC value (New_CRC16_Lo) is given as:

$$\text{New_CRC16_Lo} = (\text{CRC16_Tablo}[I]) \text{ EXOR } (\text{Current_CRC16_Hi}) \text{ for } I=0 \text{ to } 255;$$

where $I = (\text{Current_CRC16_Lo}) \text{ EXOR } (\text{Input byte})$

An example of how this method works is shown in Figure 7.

ASSEMBLY LANGUAGE FOR CRC–16 COMPUTATION Table 3

crc_lo	data	20h	; lo byte of crc calculation (bit addressable)
crc_hi	data	21h	; hi part of crc calculation
•			
•			
•			

; CRC16 subroutine.			
; - accumulator is assumed to have byte to be crc'ed			
; - two direct variables are used crc_hi and crc_lo			
; - crc_hi and crc_lo contain the CRC16 result			

crc16:			; calculate crc with accumulator
	push	b	; save value of b
	mov	b,	#08h ; number of bits to crc.
crc_get_bit:			
	rrc	a	; get low order bit into carry
	push	acc	; save a for later use
	jc	crc_in_1	; got a 1 input to crc
	mov	c,	crc_lo.0 ; xor with a 0 input bit is bit
	sjmp	crc_cont	; continue
crc_in_1:			
	mov	c,	crc_lo.0 ; xor with a 1 input bit
	cpl	c	; is not bit.
crc_cont:			
	jnc	crc_shift	; if carry set, just shift
	cpl	crc_hi.6	; complement bit 15 of crc
	cpl	crc_lo.1	; complement bit 2 of crc
crc_shift			

mov	a,	crc_hi	; carry is in appropriate setting
rrc	a		; rotate it
mov	crc_hi,	a	; and save it
mov	a,	crc_lo	; again, carry is okay
rrc	a		; rotate it
mov	crc_lo,	a	; and save it
pop	acc		; get acc back
djnz	b,	crc_get_bit	; go get the next bit
pop	b		; restore b
ret			
end			

ASSEMBLY LANGUAGE FOR CRC-16 USING A LOOKUP TABLE Table 4

crc_lo	data	40h	; any direct address is okay
crc_hi	data	41h	
tmp	data	42h	

•
•
•

```

;-----
;
;      CRC16 subroutine.
;
;      - accumulator is assumed to have byte to be crc'ed
;
;      - three direct variables are used, tmp, crc_hi and crc_lo
;
;      - crc_hi and crc_lo contain the CRC16 result
;
;      - this CRC16 algorithm uses a table lookup
;-----

```

```

crc16:
    xrl    a,          crc_lo      ; create index into tables
    mov    tmp,        a          ; save index
    push   dph         ; save dptr
    push   dpl         ;
    mov    dptr,       #crc16_tablo ; low part of table address
    movc   a,          @a+dptr    ; get low byte
    xrl    a,          crc_hi      ;
    mov    crc_lo,     a          ; save of low result
    mov    dptr,       #crc16_tabhi ; high part of table address
    mov    a,          tmp        ; index
    movc   a,          @a+dptr    ;
    mov    crc_hi,     a          ; save high result
    pop    dpl         ; restore pointer
    pop    dph         ;
    ret                     ; all done with calculation

```

```

crc16_tablo:
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
    db     001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
    db     001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
    db     001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
    db     001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
    db     001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
    db     001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
    db     001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
    db     001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
    db     000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h

```

db 001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
db 001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
db 000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
db 000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
db 001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
db 000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
db 001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h
db 000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
db 000h, 0c1h, 081h, 040h, 001h, 0c0h, 080h, 041h
db 001h, 0c0h, 080h, 041h, 000h, 0c1h, 081h, 040h

crc16_tabhi:

db 000h, 0c0h, 0c1h, 001h, 0c3h, 003h, 002h, 0c2h
db 0c6h, 006h, 007h, 0c7h, 005h, 0c5h, 0c4h, 004h
db 0cch, 00ch, 00dh, 0cdh, 00fh, 0cfh, 0ceh, 00eh
db 00ah, 0cah, 0cbh, 00bh, 0c9h, 009h, 008h, 0c8h
db 0d8h, 018h, 019h, 0d9h, 01bh, 0dbh, 0dah, 01ah
db 01eh, 0deh, 0dfh, 01fh, 0ddh, 01dh, 01ch, 0dch
db 014h, 0d4h, 0d5h, 015h, 0d7h, 017h, 016h, 0d6h
db 0d2h, 012h, 013h, 0d3h, 011h, 0d1h, 0d0h, 010h
db 0f0h, 030h, 031h, 0f1h, 033h, 0f3h, 0f2h, 032h
db 036h, 0f6h, 0f7h, 037h, 0f5h, 035h, 034h, 0f4h
db 03ch, 0fch, 0fdh, 03dh, 0ffh, 03fh, 03eh, 0feh
db 0fah, 03ah, 03bh, 0fbh, 039h, 0f9h, 0f8h, 038h
db 028h, 0e8h, 0e9h, 029h, 0ebh, 02bh, 02ah, 0eah
db 0eeh, 02eh, 02fh, 0efh, 02dh, 0edh, 0ech, 02ch
db 0e4h, 024h, 025h, 0e5h, 027h, 0e7h, 0e6h, 026h
db 022h, 0e2h, 0e3h, 023h, 0e1h, 021h, 020h, 0e0h
db 0a0h, 060h, 061h, 0a1h, 063h, 0a3h, 0a2h, 062h
db 066h, 0a6h, 0a7h, 067h, 0a5h, 065h, 064h, 0a4h
db 06ch, 0ach, 0adh, 06dh, 0afh, 06fh, 06eh, 0aeh
db 0aah, 06ah, 06bh, 0abh, 069h, 0a9h, 0a8h, 068h
db 078h, 0b8h, 0b9h, 079h, 0bbh, 07bh, 07ah, 0bah
db 0beh, 07eh, 07fh, 0bfh, 07dh, 0bdh, 0bch, 07ch
db 0b4h, 074h, 075h, 0b5h, 077h, 0b7h, 0b6h, 076h
db 072h, 0b2h, 0b3h, 073h, 0b1h, 071h, 070h, 0b0h
db 050h, 090h, 091h, 051h, 093h, 053h, 052h, 092h
db 096h, 056h, 057h, 097h, 055h, 095h, 094h, 054h
db 09ch, 05ch, 05dh, 09dh, 05fh, 09fh, 09eh, 05eh
db 05ah, 09ah, 09bh, 05bh, 099h, 059h, 058h, 098h
db 088h, 048h, 049h, 089h, 04bh, 08bh, 08ah, 04ah
db 04eh, 08eh, 08fh, 04fh, 08dh, 04dh, 04ch, 08ch
db 044h, 084h, 085h, 045h, 087h, 047h, 046h, 086h
db 082h, 042h, 043h, 083h, 041h, 081h, 080h, 040h

COMPARISON OF CALCULATION AND TABLE LOOKUP METHOD FOR CRC-16 Figure 7

Example:

CRC register starting value: 90 F1 Hex

Input Byte: 75 Hex

Calculation Method

Current CRC Value	Input
1001 0000 1111 0001	1
0100 1000 0111 1000	0
0010 0100 0011 1100	1
1011 0010 0001 1111	0
1111 1001 0000 1110	1
1101 1100 1000 0110	1
1100 1110 0100 0010	1
1100 0111 0010 0000	0
0110 0011 1001 0000	
New CRC Value = 63 90 Hex	

Table Lookup Method

Current_CRC16_Lo = F1 Hex

Current_CRC16_Hi = 90 Hex

Input byte = 75 Hex

Tabhi Index= (Current_CRC16_Lo) EXOR (Input byte)

= F1 EXOR 75= 84 Hex = 132 Dec

New_CRC16_Hi = Tabhi[132] = 63 Hex (from Table 4.)

Tablo Index = (Current_CRC16_Lo) EXOR (Input byte) = 132 Dec

Tablo[132] = 00 Hex (from Table 4.)

New_CRC16_Lo = Tablo[132] EXOR (Current_CRC16_Hi)

= 00 EXOR 90 = 90 Hex

New CRC Value = 63 90 Hex

An interesting intermediate method is presented in Table 5. The code will generate a CRC-16 value for each byte input to it by operating on the entire current CRC value and the incoming byte using the equations shown in Figure 8. The derivations for the equations are also shown, using alpha characters to represent the current 16-bit CRC value and numeric characters to represent the bits of the incoming byte. The result after eight shifts yields the equations shown. These equations can then be used to precompute large portions of the new CRC value. Notice, for example, that the quantity ABCDEFGH01234567 (defined as the EXOR of all of those bits) is the parity of the incoming data byte and the low order byte of the current CRC. This method reduces computation time and memory space as compared to both the bit-by-bit and lookup table methods described above. Finally, two properties of the CRC-16 function that can be used as test cases are mentioned as an aid to debugging the code for any of the previous methods.

The first property is identical to the DOW CRC case. If the current 16-bit contents of the CRC register are also used as the next 16-bits of input, the resulting CRC value is always 0000 Hex. A second property of the CRC-16 function is also similar to the DOW CRC case, if the 1's complement of the current 16-bit contents of the CRC register are also used as the next 16-bits of input, the resulting CRC value is always B0 01 Hex. The proof for these two CRC-16 properties follows in an analogous way to the proof for the DOW CRC case.

REFERENCES:

Stallings, William, Ph.D., Data and Computer Communications. 2nd ed., New York: Macmillan Publishing. 107-112.

Buller, Jon, "High Speed Software CRC Generation", EDN, Volume 36, #25, pg. 210.

ASSEMBLY LANGUAGE PROCEDURE FOR HIGH-SPEED CRC-16 COMPUTATION Table 5

```
lo    equ    40h                ; low byte of CRC
hi    equ    41h                ; high byte of CRC

    •
    •
    •

crc16:
    push    acc                ; save the accumulator.
    xrl     a,    lo
    mov     lo,    hi          ; move the high byte of the CRC.
    mov     hi,    a           ; save data xor low(crc) for later
    mov     c,    p
    jnc     crc0
    xrl     lo,    #01h        ; add the parity to CRC bit 0

crc0:
    rrc     a                 ; get the low bit in c
    jnc     crc1
    xrl     lo,    #40h        ; need to fix bit 6 of the result

crc1:
    mov     c,    acc.7
    xrl     a,    hi          ; compute the results for other bits.
    rrc     a                 ; shift them into place
    mov     hi,    a           ; and save them
    jnc     crc2
    xrl     lo,    #80h        ; now clean up bit 7

crc2:
    pop     acc                ; restore everything and return
    ret
```

HIGH-SPEED CRC-16 COMPUTATION METHOD Figure 8

CURRENT CRC VALUE = XWUT SRQP HGFE DCBA
INPUT BYTE = 7654 3210
NOTATION: ABC = A EXOR B EXOR C
DEFINITION: DEF EXOR D = (D EXOR D) EXOR EF = 0 EXOR EF = EF
REGISTER STAGE (SEE FIGURE 6 FOR OPERATION)

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	INPUT
X	W	U	T	S	R	Q	P	H	G	F	E	D	C	B	A	0
A0	X	WA0	U	T	S	R	Q	P	H	G	F	E	D	C	AB0	1
AB01	A0	AB01X	WA0	U	T	S	R	Q	P	H	G	F	E	D	ABC01	2
ABC012	AB01	BC12	AB01X	WA0	U	T	S	R	Q	P	H	G	F	E	ABCD012	3
ABCD0123	ABC012	CD23	BC12	AB01X	WA0	U	T	S	R	Q	P	H	G	F	ABCDE0123	4
ABCDE01234	ABCD0123	DE34	CD23	BC12	AB01X	WA0	U	T	S	R	Q	P	H	G	ABCDEF01234	5
ABCDEF012345	ABCDE01234	EF45	DE34	CD23	BC12	AB01X	WA0	U	T	S	R	Q	P	H	ABCDEF012345	6
ABCDEF0123456	ABCDE012345	FG56	EF45	DE34	CD23	BC12	AB01X	WA0	U	T	S	R	Q	P	ABCDEF0123456	7
ABCDEF01234567	ABCDE0123456	GH67	FG56	EF45	DE34	CD23	BC12	AB01X	WA0	U	T	S	R	Q	ABCDEF01234567	

THIS YIELDS THE FOLLOWING DEFINITIONS:
NEW CRC REGISTER VALUES AFTER EIGHT SHIFTS
Xnew = ABCDEF01234567
Wnew = ABCDEF0123456 = ABCDEF01234567 H7
Unew = G6H7
Tnew = F5G6
Snew = E4F5
Rnew = D3E4
Qnew = C2D3
Pnew = B1C2
Hnew = A0B1X
Gnew = A0W
Fnew = U
Enew = T
Dnew = S
Cnew = R
Bnew = Q
Anew = P ABCDEF01234567